## The Optimization Methodology for Large Scale Multi-User MIMO-OFDM Systems with PAPR Reduction

T.Aparna<sup>1</sup>, A.Pavan<sup>2</sup>, Dr.E.V.Krishna Rao<sup>3</sup>

Post Graduate Student<sup>1</sup>, Department of Electronics and Communication Engineering,. Priyadarshini College of Engineering and Technology, Andhra Pradesh., India

Associate Professor<sup>2</sup>, Department of Electronics and Communication Engineering, Priyadarshini College of Engineering and Technology, Andhra Pradesh., India

Professor<sup>3</sup>, Department of Electronics and Communication Engineering, K.L. University, Koneru Lakshmaiah Education Foundation, Guntur, Andhra Pradesh, India

Email:aparnabhaskar.19@gmail.com,pavani0504@gmail.com,krishnaraoede@yahoo.co.in

Abstract-Wireless communication is one of the important vital aspects of life. The growth of wireless communication technologies has been producing the enormous demand for high-speed, efficient, reliable voice & data communication. For better transmission, replaced single – carrier waves by multi – carrier waves. Hence, we proposed a novel technique which efficiently suited for PAR reduction in OFDM. This paper discussed about the PAR reduction aiming to achieve higher throughput, higher data rate and better performance. The use of OFDM causes a high peak to- average (power) ratio (PAR), which necessitate expensive and power- inefficient radio-frequency (RF) components at the base station. In this paper, we present a novel data transmission scheme, which exploits the massive tone reservation available in large-scale MU-MIMO-OFDM systems to achieve low PAR. In previous algorithm, we are applying FITRA for PMP. Here to reduce computational complexity of FITRA, we proposed a novel scheme based on sparse for PMP. We developed a corresponding algorithm is fast iterative truncation algorithm (FITRA) with sparse representation and show numerical results to demonstrate tremendous PAR-reduction capability. Experimental results show that our method will achieve better results compared to state-of-art criteria like FITRA in terms of PAR and computational complexity.

Index Terms - Convex optimization, MU MIMO-OFDM, Peak to average(power) ratio reduction, Precoding and Sparse.

## 1. INTRODUCTION

After more than thirty years of research and growth carried out in the field of communication OFDM has been widely implemented in high speed digital communication [1]. OFDM has its major benefits of higher data rates and better performance. The higher data rates are achieved by use of multiple carriers and performance improved by use of guard interval which leads to removal of Inter Symbol Interference (ISI) [2]. OFDM has several features which makes it more advantageous for high speed data transmission. These features include High Spectral competence, Robustness to Channel Fading, and Immunity to Impulse Interference and Easy Equalization.

In spite of these benefits there are some drawbacks such as PAPR, Offset frequency and Inter Carrier Interference (ICI) between sub-carriers [3]. Practical wireless channels typically exhibit frequency selective fading and a low-PAR precoding solution suitable for such channels would be desirable. whereas heavier dispensation could be afforded at the BS. Orthogonal frequency-division multiplexing (OFDM) [4] is an efficient and well-established way of commerce with frequency selective channels.

In addition to simplify the equalization at the receiver, OFDM also facilitates per-tone influence and bit allocation, scheduling in the frequency domain, and band shaping. However, OFDM is known to suffer from a high PAR [5], which necessitate the use of linear RF components (e.g., power amplifiers) to avoid out-of-band radiation and signal distortions. Unfortunately, linear RF components are, in general, more costly and less power efficient than their non-linear counterparts, which would eventually result in exorbitant costs for large-scale BS implementations having hundreds of antennas. Therefore, it is of paramount consequence to reduce the PAR of OFDM-based large-scale MU-

MIMO s to facilitate parallel low-cost and low-power BS implementations.

#### 1.1. Orthogonality

Orthogonal means the peak of one carrier occurs at null of the other carrier at 90 degrees. Since the carriers are all sine and cosine waves. Finally, we can observe the orthogonality principle in *Fig 2.2*. Generally, we know that two periodic signals are orthogonal when their integral product over one period is equal to zero. Hence, OFDM system is bandwidth efficient when compared to FDM.



Fig1.sub-carrier allocation by using orthogonality

Take an action to combat the challenging linearity requirements of OFDM, a much of PAR-reduction schemes have been proposed for point-to-point singleantenna and MIMO wireless systems, e.g., . For MU-MIMO systems, however, a straight forward adaptation of these schemes is non-trivial, mainly because MU systems require the removal of MUI using a Precoding methods. PAR-reduction schemes suitable for the MU-MISO and MU-MIMO downlink transmission, and rely on Tomlinson-Hiroshima precoding. Both schemes, however, require specialized signal processing in the (mobile) terminals (e.g., modulo reduction), which prevents or reduced their use in conventional MIMO-OFDM systems, such as IEEE 802.11n or 3GPP LTE.

#### 2. LITERATURE SURVEY

In this paper, we develop a novel system broadcast scheme for large-scale MU-MIMO-OFDM wireless system, which only affects the signal processing at the BS[6] while leaving the meting out required at each terminal undamaged. The key idea of the proposed scheme is to exploit the excess of degrees-of-freedom (DoF) offered by equip the BS with a large number of antennas and to *jointly* perform MU precoding, OFDM modulation, and PAR reduction, referred to as PMP in the remnants of the paper. We develop and examine a novel optimization algorithm, referred to as fast iterative truncation algorithm (FITRA), which is able to find the solution to PMP efficiently for the (typically large) dimensions arising in large-scale MU-MIMO-OFDM s.For reducing the complexity of the fast iterative truncation algorithm we are applying continuation strategies, is a practical implementation of PMP in hardware.

#### 2.1. Notations

Notation lowercase bold-face writing for column vectors and upper-case bold-face letters designate matrix. The M×M distinctiveness matrix is denoted by Im. The M×N all zeros matrixes by  $0m\times n$ . and Fm refers to the M×M discrete Fourier transform(DFT) matrix.

#### 2.2. Outline of the paper

The remainder of the paper is organized as introduces the model and summarizes important PARreduction concepts. The proposed system transmission scheme is detailed and the fast iterative truncation algorithm (FITRA) is developed.

# 3. BLOCK DIAGRAM OF MU MIMO-OFDM DOWNLINK

The input data symbols are supplied into a channel encoder that data are mapped onto QPSK/QAM constellation. The data symbols are converted from serial to parallel and using Inverse Discrete Fourier Transform (IDFT) to achieve the time domain OFDM symbols[7]. Time domain signal is cyclically extended to prevent Inter Symbol Interference (ISI) from the former OFDM symbol using cyclic prefix (CP).

Input data symbols are supplied into a channel encoder that data are mapped onto BPSK/QPSK/QAM constellation.

In below *fig*, first the data symbols are converted from serial to parallel and using Inverse Fast Fourier Transform (IFFT) to achieve the time domain OFDM symbols.

Time domain signal is cyclically extended to prevent Inter Symbol Interference (ISI).



Fig.2. MU MIMO\_OFDM Transmitter

In receiver side we have to remove cyclic prefix in receiver side and then the data symbols are converted from series to parallel. Finally ,by using Fast Fourier Transform we are converting from time domain to frequency domain.



Fig.3. Large scale multi-user MIMO-OFDM downlink receiver block diagram

The advantage of using QAM is that it is a higher order form of modulation and as a result it is able to carry more bits of information per symbol. By selecting a higher order format of QAM, the data rate of a link can be increased.QAM is a means of modulating both streams(imaginary& real) onto one RF carriers[8].QAM achieves a greater distance between adjacent points in the I-Q plane by distributing the points more evenly. Modulating the symbols onto subcarriers can be done very efficiently using the FFT algorithm OFDM is efficiently implemented using IFFT/FFT large amount of work has been devoted to reducing the computation time of a FFT.IFFT on the transmitter side FFT on the receiver side By using Fourier transform we can change the domain

#### 3.1. Sparse Matrix

The large matrices that arise in real-world problems in science, engineering, and mathematics tend to be mostly zero, or sparse. Sparse matrix algorithms lie in the inter section of graph theory and numerical linear algebra.

If a matrix M is stored in ordinary (dense) format, then the command S = sparse(M) creates a copy of the matrix stored in sparse format.

For example:  $>> M = [0 \ 1 \ 0; 1 \ 0 \ 2; 0 \ -3 \ 0]$ 

0 M =1 0 0 2 1 0 -3 0 >> S = sparse(M)

S = (2,1)1

| (3,2 | 2) -3 |                 |
|------|-------|-----------------|
| (1,2 | 2) 1  |                 |
| (2,3 | 3) 2  |                 |
| Name | Size  | Bytes Class     |
|      |       |                 |
| Μ    | 3x3   | 72 double array |
| S    | 3x3   | 64 sparse array |

In numerical analysis, a sparse matrix is also a matrix .In this matrix most of the elements are zero. Suppose, if most of the elements are nonzero coefficient, then the matrix is considered as dense. The selection (fraction) of zero elements (non-zero elements) in a matrix is called the sparsity (density).

In the case of a sparse matrix, considerable memory requirement reductions can be realized by storing only the non-zero entries in the matrix. Finally, it depends on the number and distribution of the non-zero entries in the matrix. Different data structures can be used and yield huge savings in memory storage when compared to the basic approach.

Sparse matrix-vector multiplication is an important calculation kernel that arises in scientific simulations, data mining, image and signal processing, and other applications also. It performs poorly on modern processors, because of its high ratio of memory operations to arithmetic operations and the also irregular memory access model patterns. However Optimizing this algorithm is difficult, because the performance depends on the nonzero structure of the matrix as well as the characteristics of a given memory system.

The sparse matrix is a matrix that allows a special technique to take advantage of the large number of (commonly "background" elements.My zero) requirement or aim is to find exactly how many zeros are present in the matrix or a percentage of zeros present totally in the matrix. We used the "Eq.(1)" like

$$x = sum((y == 0));$$
 (1)

which is supposed to give the no of zeros present in the column of the matrix.

EDU>>M

| M=  | 01  | 1                       |
|-----|-----|-------------------------|
|     | 001 |                         |
|     | 11  | 1                       |
| EDU | >>  | numel(M)-nnz(sparse(M)) |

(2)

This "Eq.(2)" also give the number of zeros present in the total matrix. Here, we are subtracting the non zero coefficients from the total coefficients present in the matrix.

#### 3.2. Normalization

Mathematically a norm is a total length or size of all vectors in a vector space or matrices. For simplicity, finally we can say that the higher the norm is, the bigger the (value in) matrix size or vector size. Norm may come in many forms and also many names, including these popular name: Euclidean distance, Mean-squared Error, etc.

Most of the time the norm appears in a equation like

this:  $\|x\|\|$  where x can be a vector or a matrix.

For example, a Euclidean norm of a vector is

$$\begin{aligned} a &= -2 & \text{then} \\ 1 \\ \|a\|_2 &= \sqrt{3^2 + 2^2 + 1^2} \\ &= 3.742 \end{aligned}$$
(3)

which is the size of vector a.

The above "Eq.(3)" shows how to compute a Euclidean norm or formally called an l2-norm. Formally the ln-norm of x is defined

$$\left\|x\right\|_{n} = \sqrt[n]{\sum_{i} |x_{i}|}^{n}$$

$$\tag{4}$$

An n-th-root of a summation of all elements to the nth power is what we call a norm shown in "Eq. (4)".

While practicing machine learning, we may have come upon a choice of deciding whether to use the L1norm or the L2-norm or ln norm for regularization.

L1-norm is also known as least absolute deviations (LAD), least absolute errors (LAE). This norm is basically minimizing the sum of the absolute differences (S) between the target value (Yi) and the estimated values (f(xi)):

$$S = \sum_{i=1}^{n} |y_i - f(x_i)|$$
(5)

By using this "Eq.(5)" we can find out the difference between the target values and estimated values.

L2-norm is also known as least squares. This norm is basically minimizing the sum of the square of the differences (S) between the target value (Yi) and the estimated values (f(xi):

$$S = \sum_{i=1}^{n} (y_i - f(x_i))^2$$
(6)

By using this "Eq.(6)" we can find out the squares of the difference between the target values and the estimated values.

Depending upon the application and requirement we may have to choose L1- norm or L2 or etc.

L-Infinity norm, the definition for  $l_{\infty}$  -norm is

$$\|x\|_{\infty} = \sqrt[\infty]{\sum_{i} x_{i}^{\infty}}$$
<sup>(7)</sup>

By using this "Eq.(7)" we can find out the L-infinity norm .Where more number of co- efficient present in the matrix there we have to use this norm. This means the matrix size is more so the complexity also more .In this type of applications we have to choose L -infinity norm for calculations.

Consider the vector x, let's say if  $x_j$  is the highest entry in the vector x, by the property of the infinity itself, we can say that  $x_j^{\infty} >> x_i^{\infty}$ , then

$$\|x\|_{\infty} = \sqrt[\infty]{\sum_{i} x_{i}^{\infty}} = \sqrt[\infty]{x_{j}^{\infty}} = |x_{j}|$$
(8)

Now we can simply above "Eq.(8)" say that the  $l_{\infty}$  - norm is

$$\|x\|_{\infty} = \max(|x|) \tag{9}$$

that this "Eq.(9)" is the maximum entries magnitude of

that vector. That surely demystified the meaning of  $l_{\infty}$  - norm[14].

The feature selection is frequently mentioned as a useful property of the L1-norm, which the L2-norm does not. This is actually a result of the L1-norm, which tends to produces sparse coefficients .For Suppose, the model have 100 coefficients but only 10 of them have non-zero coefficients in that, this is effectively saying that "the other 90 predictors are useless in predicting the target values". L2-norm produces non-sparse coefficients, so does not have this property.

Sparsity refers to that only a few entries in a matrix (or vector) is non-zero remaining are zero coefficients. Then, L1-norm has the property of producing many coefficients with zero values or very small values with few non-zero coefficients.

#### 4. FITRA ALGORITHM

Table1. Fast iterative truncation algorithm(FITRA)

1.initiate, 
$$x_0 \leftarrow 0_{N \times 1}, y_1 \leftarrow x_0, t_1 \leftarrow 1, L \leftarrow 2$$
  
2.for k=1,...,K do  
4. $\alpha \leftarrow \arg\min_{\tilde{\phi}} \left\{ \lambda \tilde{\alpha} + \frac{L}{2} \sum_{i=1}^{N} \left( \left\| w \right\|_{i} - \tilde{\alpha} \right]^{+} \right)^{2} \right\}$   
5. $x_k \leftarrow trunc_{\alpha} (w)$   
6. $t_{k+1} \leftarrow \frac{1}{2} \left( 1 + \sqrt{1 + 4t_k^2} \right)$   
7. $y_{k+1} \leftarrow x_k + \frac{t_k - 1}{t_k + 1} (x_k - x_{k-1})$   
8.end for  
9.return  $x_K$ 

Large-scale (or massive) multiple-input multipleoutput (MIMO) technology is a challenging wireless communication technology. It means that by using this technology we get higher throughput and improved quality-of-service in multi-user (MU) wireless communication systems. In particular, set up the base station (BS) with a large number of antennas, while serving a few users concurrently and in the same frequency band, has the potential to increase the spectral efficiency of existing wireless systems.

In addition, large-scale MIMO is able to reduce the operational power consumption at the transmitter (i.e., the BS). Practical consciousness of large-scale MIMO, however, need novel means to reduce the costs of hundreds of antennas at the BS. In particular, the use of orthogonal frequency division multiplexing (OFDM) we need of PAR reduction techniques. This simulator provides an environment to assess the performance of the large-scale MU-MIMO-OFDM downlink and provides narrative algorithms to reduce the PAR using different precoding methods. In particular, the simulator contains the PMP algorithm which relies on convex  $l_{\infty}$  -norm minimization via the fast iterative

truncation algorithm (FITRA) to appreciably reduce the PAR at the same time perfectly avoiding MU interference.

#### 4.1. Proposed techniques

 $l_1$ -minimization has been one of the hot topics in the signal processing and optimization communities in the last five years or so. In compressive sensing (CS) theory, it has been shown to be an efficient approach to recover the sparsest solutions to certain underdetermined systems of linear equations.

Gradient Projection Methods: We first discuss gradient projection (GP) methods that seek sparse representation x along certain gradient direction, which induces much faster convergence speed. The approach reformulates the  $l_1$  min as a quadratic programming (QP) problem compared to the LP implementation in PDIPA. We start with the 1-min problem (P1;2). It is equivalent to the so-called LASSO objective function.

#### **5. MEASURE THE PERFORMANCE**

we are compare the PAR characteristics in different types of precoding methods ,we use the complementary cumulative distribution function defined as

$$CCDF(PAR) = p\{PAR_n > PAR\}$$
(10)

Compressed Sensing is the name assigned to the idea of encoding a large sparse signal using a relatively small number of linear measurements, and minimizing the  $l_1$ -norm (or its variants) in order to decode the signal(1). CS channel estimation method concerns the sparse reconstruction problem of estimating an unknown sparse channel vector from an observed vector of measurements based on the linear model, namely the measurement by omitting the superscript for brevity[9].

$$R = \psi h + Z \tag{11}$$

where =  $m N m \psi \phi F \in C \times is a known$  measurement matrix, Z' is the measurement noise vector, and channel vector h is L sparse, where L is the number of multipath and is much

$$m \ge c \cdot L \cdot \log\left(\frac{N}{L}\right) \tag{12}$$

where c > 0 is a constant. Secondly, the measurement matrix  $\psi$  should satisfy the RIP, namely, for all *L*-sparse vector **h**, we have

$$1 - \delta_{L} \leq \frac{\|\psi h\|_{l_{2}}^{2}}{\|h\|_{l_{2}}^{2}} \leq 1 + \delta_{L}$$
(13)

Where  $0 \le \delta_l \le 1$  is the isometry constant,  $H_{l_2}$  is the *l*2-norm.

$$\psi = \phi_m F \tag{14}$$

For the concerned in another word, the RIP requires the rows  $\{\phi_{mj}\}$  of  $m \ \varphi$  cannot sparsely represent the column  $\{F_i\}$  of F and vice versa[10]. Now we prove the RIP of the measurement matrix  $= m \ \psi \ \varphi F(4)$ . As we mentioned above,  $m\varphi$  is the *m*-by-*N* matrix which consists of *m* unit vectors *i e*, and it is the unit matrix *IN* when the number of pilot *m* is *N*. *F* is the *N*-by-*N* DFT matrix, which is also the unitary matrix. Since  $I = F^H F$ , every row of *I*, *ei*, can be expressed as where is the conjugate operation, *j*, *i F* s the (*j*, *i*)- th element of DFT matrix F(5), and *j F* is the *j*-th column vector of *F*.

#### 5.1. Peak to average power ratio(PAPR)

One of the main problem emerging in OFDM s is the so-called Peak to Average Power Ratio (PAPR) problem. The input symbol stream of the IDFT should possess a uniform power spectrum, but the output of the IDFT may result in a non-uniform or spiky power spectrum. Most of transmission energy would be allocated for a few instead of the majority subcarriers. This problem can be quantified as the PAPR measure. It causes many problems in the OFDM at the transmitting end.

#### 5.2. Calculation of PAPR

The peak to average power ratio for a signal x(t) is defined as in "Eq.(15)".

$$papr = \frac{\max[x(t)x*(t)]}{E[x(t)x*(t)]},$$
(15)

where \*corresponds to the conjugate operator. Expressing in decibels

$$papr_{dB} = 10\log_{10}(papr) \tag{16}$$

By using this "Eq.(16)" we can get PAPR in dBs.

#### **6.SIMULATION RESULTS**

The PAR reduction capabilities and error rate performance for different precoding methods.



Fig4. Time Representation for different Pre-codings.

Fig 4 shows the time representation for different precoding methods.PMP results in time domain signals having a significantly smaller PAR than that of LS,MF and LS+clip.



fig 5.Frequency Representation for different Pre-coding methods

Fig 5 shows the frequency representation for different precoding methods. In frequency representation the different precoding methods such as LS,MF,LS+clip and PMP maintain spectral constraints.

International Journal of Research in Advent Technology, Vol.2, No.11, November 2014 E-ISSN: 2321-9637



Fig 6. PAR performance for different schemes

Fig(6)PAR performance for various precoding schemes.PMP relying on FITRA for PAR performance(the curves of LS and MF overlap). The PAR for LS+clip is 4dB .Note that PMP effectively reduces the PAR compared to LS and MF precoding.



Fig 7. SER performance for different method

Fig(7) Symbol error-rate (SER) performance for various precoding methods. Note that the signal normalization causes 1dB SNR-performance loss for PMP compared to LS precoding



Fig (8) PAR and SNR Performance comparison for different precoding methods. Sparse effectively reduce the PAR compare to fast iterative truncation algorithm(FITRA) and LS precoding methods.

### 7. CONCLUSION

In this project, we apply sparse representation based on L1- minimization applied to FITRA algorithm which is proposed in state-of –art methodology [1],by using sparse representation, we can reduce PAR values drastically. We compare our results with state-of-art criteria like FITRA using 1-infinity minimization, and we prove that our methodology will give better results based on PAR values which we obtained. Essentially, the MU MIMO\_OFDM downlink channel matrix has a high-dimensional null-space, which enables us to design transmit signals with "hardware-friendly" properties, like low PAR. In general, PMP yields per-antenna constant-envelope OFDM signals in the large-antenna limit, i.e., for N  $\rightarrow \infty$ .

Further development for this is combining PMP with other PAPR reduction techniques and also different precoding techniques. In addition, a detailed analysis of the impact of imperfect channel state information(CSI) on the performance of PMP is left for future work.

#### 8. ACKNOWLEDGEMENT

During my project work, in my hard work in referring many valuable books and reference papers, I got many doubts regarding my project but my guide, Mrs.A.Pavani, the associate professor has cleared my doubts perfectly extending her valuable suggestions at every stage with great concern in the paper preparation.

Without her most precious cooperation, I couldn't have prepared perfectly this paper. So, I humbly express my sincere gratefulness forever to my respectful guide for rendering great support with most precious and constructive criticism that instilled great hope in my project work.

#### 9.REFERENCES

- [1] Christoph, Studer.; Larsson, Erik G.(2013): PAR-Aware Large-Scale Multi-User MIMO-OFDM Downlink .IEEE common., **31**(2).
- [2] Studer, C.;Larsson, E. G.(2012): PAR-aware multiuser precoder for the large-scale MIMO-OFDM downlink .
- [3] Marzetta, T. L.(2010): Non-cooperative cellular wireless with unlimited numbers of base station antennas. IEEE Trans..,Wireless Comm., **9**(11).
- [4] Seethaler, D.;Bölcskei, H.(2010): Performance and complexity analysis of infinity-norm spheredecoding. IEEE Trans. Inf. Theory, 56(3) 3,pp. 1085–1105.
- [5] Pacific Grove, CA.(2006): How much training is required for multi-user MIMO. pp. 359–363.
- [6] Hoydis, J.; Ten Brink, S.;Debbah, D.(2011): Massive MIMO: How many antennas do we need. *IEEE*, Monticello, IL, pp. 545–550.
- [7] Lyubarskii, Y.; Vershynin, V. (2010): Uncertainty principles and vectorquantization. IEEE Trans. Inf. Theory, 56(7), pp. 3491–3501.
- [8] Seethaler,D.;Bölcskei,H.(2010):Performance and complexity analysis of infinity-norm spheredecoding. IEEE Trans. Inf. Theory, 56(3) ,pp. 1085–1105.
- [9] Van Nee,R,;Prasad,R.(2000): OFDM for wireless multimedia communications. Artech House Pub.
- [10] Siegl,C,;Fischer,R.F.H.(2011):Selected basis for PAR reduction in multi-user downlink scenarios using lattice-reduction-aided precoding. vol. 17, pp. 1–11.
- [11]Han,S.H.; Lee,J.H.(2005): An overview of peak-toaverage power ratio reduction techniques for multicarrier transmission. *IEEE Wireless Comm.*, **12**(2), pp. 1536–1284.
- [12] R. W. Bäuml, R. F. H. Fischer, and J. B. Huber.(1996): Reducing the peak-to average power ratio of multicarrier modulation by selected mapping. *IEE Elec. Letters*, vol. 32, no. 22, pp. 2056–2057.
- [13] S. H. Müller and J. B. Huber.(1997): OFDM with reduced peak-to-average power ratio by optimum combination of partial transmit sequences. *IEE Elec. Letters*, vol. 33, no. 5, pp. 368–369.

- [14] B. S. Krongold and D. L. Jones.(2003): PAR reduction in OFDM via active constellation extension. in *IEEE Int. Conf. on Acoustics, Speech, and Sig. Proc. (ICASSP)*, vol. 4, Hong Kong, China, pp. 525–528.
- [15] Krongold, B.S.(2004): An active-set approach for OFDM PAR reduction via tone reservation. *IEEE Trans. Sig. Proc.*, vol. 52, no. 2, pp. 495–509.
- [16] R. F. H. Fischer and M. Hoch,(2006): Directed selected mapping for peakto-average power ratio reduction in MIMO OFDM. *IEE Elec. Letters*,vol. 42, no. 2, pp. 1289–1290.
- [17] J. Illic and T. Strohmer.(2009): PAPR reduction in OFDM using Kashin'srepresentation. Perugia, Italy.

#### AUTHORS

#### Talapaneni Aparna

She got her Engineering graduation from J.N.T.University. Now, She is pursuing Post Graduation program – M.Tech., from the same university. She is doing her project work under the guidance of Mrs. A.Pavan,

Assoc. Professor in Department of Electronics and Communication of Engineering at Priyadarshini College of Engineering & Technology ,Nellore ,A.P, India.



Alimili Pavan, has an aptitude for research in the Electronics and Communication field. She had her schooling in a Govt. Residential school and completed her Diploma in Electronics and Communications in a Govt. Technical Institute, Hyderabad. Since her childhood she had showed a great interest in Electronics. As her aptitude leads her to the study of Electronics she did her AMIETE in ECE from Madras IETE. During 2006-2008 She did M.Tech (VLSI Design) from JNTU, Hyderabad. She worked as Asst.Engineer in Hyderabad for sometime after that she

had taken up her long interesting profession that is teaching and has been working as Asst. Professor in various organizations since 2003. Presently she is working as Assoct.Professor in the department of ECE of Priyadarshini College of Engineering and Technololgy, Kanuparthipadu, Nellore District of Andhra Pradesh. She is now pursuing her Ph.D., from JNTU,Kakinada, Andhra Pradesh. She is also a member of ISTE.



**Dr.E.V.Krishna Rao,** received his B.Tech degree in Electronics and Communication Engineering in 1988, M.Tech degree in Microwave Electronics from University of Delhi South Campus in 1991 and Ph.D degree in DSP from Jawaharlal Nehru Technological University, Hyderabad in 2007.He worked as a Principal at Sri Mittapalli College of Engg., Guntur . He has been working as professor in K L University ,Koneru lakshmayya educational foundation ,Guntur, Andhra Pradesh, since2013. He has published about 25 papers in International Journals and Conferences. His research interests include Digital Signal Processing, Speech Processing, and wireless communications.